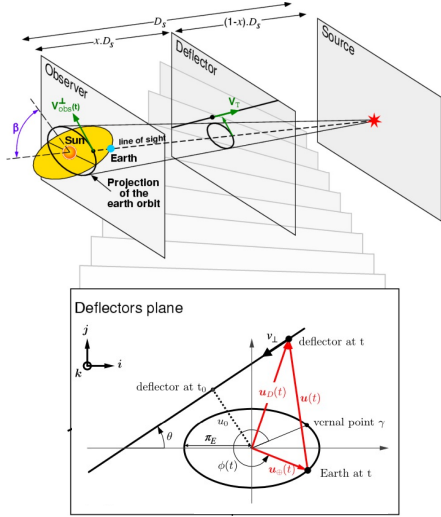


Impact of parallax on long duration microlensing events toward the Magellanic Clouds

T. Blaineau & M. Moniez A&A 636, L9 (2020)

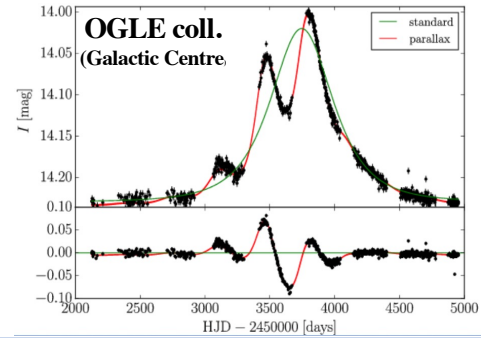
2 questions related to the search for intermediate mass black holes in the halo

- How parallax affects the efficiency of detection of long duration events ?
- What proportion of events have a noticeable parallax effect?



multi-year duration events have more chances to be affected by annual parallax

- Apparent trajectory of the lens w/r line-of-sight is an hypocycloid
- $u(t)$ (and magnification) shows modulations with 1 year characteristic time

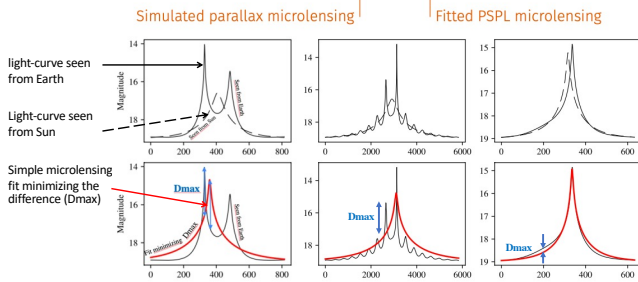


What is the risk to miss microlensing events toward LMC using a standard analysis ?

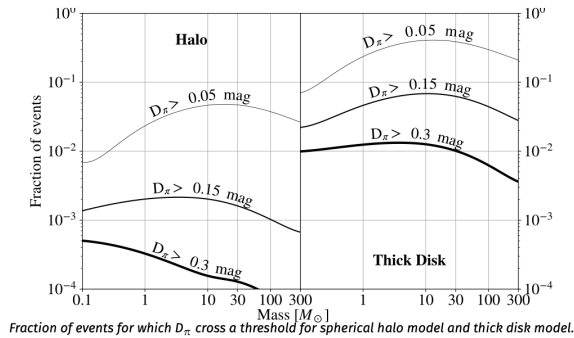
-> use max difference (best PSPL fit - event with parallax)

- ▶ to be as general as possible we simulate "analytical" light curves
- ▶ we quantify the distance between the event seen from the earth and the fitted one seen from the Sun

$$D_\pi = \min_{t_E, t_0, u_0} \left\{ \max_t |m_\oplus(t) - m_\odot(t, t_E, t_0, u_0)| \right\}$$



- ▶ In the worst case scenario we miss at most 6% of events.



What is the proportion of events toward LMC that have a detectable parallax ?

-> integrated difference (best PSPL fit - event with parallax)

- ▶ We also simulate "analytical" light curves
- ▶ Survey characterized by 3 parameters
 - Total number of observations: N_{obs}
 - Sampling frequency (# observations/day): f_{obs}
 - Photometric precision (assumed constant): σ_{phot} (mag)
- ▶ Proxy of the χ^2 of the best standard microlensing fit to an hypothetically observed light curve containing N_{obs} observations, sampling a microlensing light curve $m_\oplus(t)$ (with parallax) with a constant photometric precision σ_{phot} :

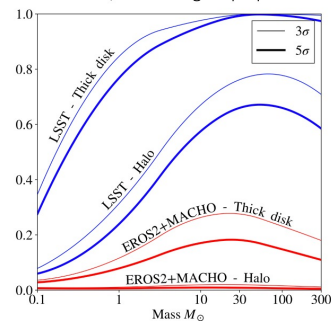
$$\tilde{\chi}_\pi^2 = N_{obs} + \frac{f_s}{\sigma^2} \min_{t_E, t_0, u_0} \int_{-\infty}^{+\infty} (m_\odot(t, t_E, t_0, u_0) - m_\oplus(t))^2 dt$$

- (The integral term is a distance between parallax and non-parallax measured curves)
- ▶ If this pseudo- χ^2 is large, then parallax is significant. For large N_{obs} , the probability of non-detection of parallax is quantified from:

$$p\text{-value} = \frac{1}{2\pi} \int_{\tilde{\chi}_\pi^2 - N}^{\infty} e^{-x^2/2} dx$$

What proportion of events have a noticeable parallax effect ?

- ▶ very few in EROS+MACHO, a much higher proportion for LSST



Robustness has been tested with respect to blending (with up to 50% contribution).

- For halo heavy objects > 95% of the light-curves deviate by less than 0.05mag from a simple microlensing.
- For thick disk heavy objects > 92% of the light-curves deviate by less than 0.15mag from a simple microlensing.

In both cases, pre-filtering by standard algorithms (assuming only one significant bump) is not significantly affected by parallax

Perspectives

For most lenses heavier than $10 M_\odot$ towards the LMC and SMC, LSST-like surveys should be able to detect and quantify the parallax, allowing a better determination of the lensing configuration parameters, and a distinction between models (halo or thick disk) for the dark matter structure.